

## H6LA: Linear Algebra

Module Code:	H6LA
Long Title	Linear Algebra <b>APPROVED</b>
Title	Linear Algebra
Module Level:	LEVEL 6
EQF Level:	5
EHEA Level:	Short Cycle
Credits:	5
Module Coordinator:	MICHAEL BRADFORD
Module Author:	MICHAEL BRADFORD
Departments:	School of Computing
Specifications of the qualifications and experience required of staff	Master's degree in mathematics, computing or cognate discipline. May have industry experience also.
<b>Learning Outcomes</b>	
<i>On successful completion of this module the learner will be able to:</i>	
#	<b>Learning Outcome Description</b>
LO1	Apply matrix algebra operations and investigate properties of matrices.
LO2	Define vector spaces and describe the structure of vector spaces in terms of linear independence, basis, and dimension.
LO3	Examine qualitative and quantitative aspects (e.g., such as norm and orthogonality) of vector spaces when presented as inner product spaces.
LO4	Determine if a system of linear simultaneous equations can be solved and if so provide a solution.
LO5	Describe the properties of linear transformations and determine how such transformations can be represented by matrices.
LO6	Investigate and apply coordinate free representations of linear transformations using Geometric Algebra.
<b>Dependencies</b>	
<b>Module Recommendations</b>	
No recommendations listed	
<b>Co-requisite Modules</b>	
No Co-requisite modules listed	
<b>Entry requirements</b>	Learners should have attained the knowledge, skills and competence gained from stage 1 of the BSc (Hons) in Data Science

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## Module Content & Assessment

Indicative Content	
<b>Matrix Algebra</b> Motivation and Context. Linear Equations. Matrix Operations. Types of Matrices	
<b>Matrix Algebra</b> Trace of a Matrix. Matrix Inversion.	
<b>Matrix Algebra</b> Permutations. Determinants. Minors and Cofactors	
<b>Vector Spaces</b> Definitions and examples. Linear Dependence. Basis and Dimension	
<b>Vector Spaces</b> Inner Product Spaces. Norms	
<b>Vector Spaces</b> Orthogonalization. Linear Simultaneous Equations. Gaussian Elimination	
<b>Linear Transformations</b> Properties of Linear Transformations . Matrix Representation	
<b>Linear Transformations</b> Change of Basis. Eigenvalues and Eigenvectors. Characteristic and Minimal Polynomials	
<b>Linear Transformations</b> Cayley-Hamilton Theorem. Singular Value Decomposition	
<b>Introduction to Geometric Algebra</b> Motivation and Context. Axioms of Geometric Algebra. Vectors and Scalars. The Geometric Product	
<b>Introduction to Geometric Algebra</b> Analytical Geometry. Multivectors	
<b>Introduction to Geometric Algebra</b> Linear Transformations. Applications	
Assessment Breakdown	%
Coursework	40.00%
End of Module Assessment	60.00%

### Assessments

Full Time			
Coursework			
<b>Assessment Type:</b>	Continuous Assessment	<b>% of total:</b>	Non-Marked
<b>Assessment Date:</b>	n/a	<b>Outcome addressed:</b>	1,2,3,4,5,6
<b>Non-Marked:</b>	Yes		
<b>Assessment Description:</b> Ongoing independent and group class activities and feedback.			
<b>Assessment Type:</b>	Continuous Assessment	<b>% of total:</b>	40
<b>Assessment Date:</b>	n/a	<b>Outcome addressed:</b>	1,2,3,4,5,6
<b>Non-Marked:</b>	No		
<b>Assessment Description:</b> A comprehensive set of questions relating to Matrix Algebra, Vector Spaces, Linear Transformations, and Geometric Algebra.			
<b>Assessment Type:</b>	Easter Examination	<b>% of total:</b>	60
<b>Assessment Date:</b>	n/a	<b>Outcome addressed:</b>	1,2,3,4,5,6
<b>Non-Marked:</b>	No		
<b>Assessment Description:</b> Written examination with questions from all module topic areas.			
No End of Module Assessment			
No Workplace Assessment			
Reassessment Requirement			
<b>Repeat examination</b> <i>Reassessment of this module will consist of a repeat examination. It is possible that there will also be a requirement to be reassessed in a coursework element.</i>			
<b>Reassessment Description</b> The repeat strategy for this module is an examination. All learning outcomes will be assessed in the repeat exam.			

## H6LA: Linear Algebra

Module Workload				
Module Target Workload Hours 0 Hours				
Workload: Full Time				
Workload Type	Workload Description	Hours	Frequency	Average Weekly Learner Workload
Lecture	Classroom & Demonstrations (hours)	24	Per Semester	2.00
Tutorial	Other hours (Practical/Tutorial)	12	Per Semester	1.00
Independent Learning	Independent learning (hours)	89	Per Semester	7.42
Total Weekly Contact Hours				3.00

Module Resources	
<i>Recommended Book Resources</i>	
<p>Strang, G.. (2016), Introduction to Linear Algebra (5th ed), Wellesley-Cambridge Press.</p> <p>Lipschutz, S. &amp; Lipson M.. (2012), Schaum's Outline of Linear Algebra (5th ed), McGraw Hill Education.</p> <p>Dorst, L., Fontijne D. &amp; Mann S.. (2009), Geometric Algebra for Computer Science: An Object-Oriented Approach to Geometry (2nd ed), Morgan Kaufmann.</p>	
<i>Supplementary Book Resources</i>	
<p>Datta, K. B.. (2016), Matrix and Linear Algebra: Aided with MATLAB (3rd ed), Prentice-Hall of India Pvt Ltd.</p> <p>Anton, H.. (2013), Elementary Linear Algebra (11th ed), Wiley.</p> <p>Hestenes, D.. (2008), New Foundations for Classical Mechanics (2nd ed), Springer.</p>	
<i>This module does not have any article/paper resources</i>	
<i>Other Resources</i>	
<p>[Website], MIT Open Course Ware, Massachusetts Institute of Technology. Linear Algebra Lecture Series by Gilbert Strang @ <a href="https://ocw.mit.edu/courses/mathematics/18-06-linear-algebra-spring-2010/">https://ocw.mit.edu/courses/mathematics/18-06-linear-algebra-spring-2010/</a>.</p> <p>[Website], University of Cambridge, Geometric Algebra Lecture Series by Chris Doran @ <a href="http://geometry.mrao.cam.ac.uk/2016/10/geometric-algebra-2016/">http://geometry.mrao.cam.ac.uk/2016/10/geometric-algebra-2016/</a>.</p>	
Discussion Note:	